# Recursion

- Return Type − A function may return a value. The return\_type is the data type of the value the function returns. Some functions perform the desired operations without returning a value. In this case, the return type is the keyword void.
- Function Name − This is the actual name of the function. The function name and the parameter list together constitute the function signature.
- Parameters − A parameter is like a placeholder. When a function is invoked, you pass a value to the parameter. This value is referred to as actual parameter or argument. The parameter list refers to the type, order, and number of the parameters of a function. Parameters are optional; that is, a function may contain no parameters.
- Function Body − The function body contains a collection of statements that define what the function does.

```
return type function name( parameter list ) {
   body of the function
```
}

## Function

#include <stdio.h>

```
// An example function that takes two parameters 'x' and 'y'
// as input and returns max of two input numbers
int \, max(int \, x, int \, y)\{if (x > y)return x;
    else
      return y;
// main function that doesn't receive any parameter and
```

```
// returns integer.
int main(void)
€
    int a = 10, b = 20;
    // Calling above function to find max of 'a' and 'b'
    int m = max(a, b);
    printf("m is %d", m);return 0;
}
```
### **Intro to Recursion**

Recursion is expressing an entity in terms of itself. Similarly, a recursive function is the function that calls itself. While using recursion mentioning the exit condition or base condition is the key to avoid infinite loop continuation.

```
void recursion() \{recursion(); /* function calls itself */int \text{main}()recursion();
```

```
#include <stdio.h>
void print(int n);
int main()
\mathcal{F}print(5);return 0;
\mathbf{r}void print(int n)
\mathbf{f}/* Print the current value of n */
    printf("%d ", n);
    /* Base condition to terminate recursion */
    if(n \leq 1)\mathcal{L}/* Return and make no more recursive call */
         return;
    \mathbf{F}/* Call print() function recursively with n-1 */print(n - 1);
```
- 1. The program execution starts from  $_{\text{main}}$  () function. It calls  $_{\text{print}}$  () function with n=5.
- 2. Inside the  $print()$  function the first statement prints value of  $n$  (i.e. 5 for first function call).
- 3. After printing the value of n, a condition is checked if  $(n \leq 1)$ , then terminate from the function without executing below tasks.
- 4. If the condition  $(n \leq 1)$  is false, then a recursive call to  $print()$  function is made with decreased value of  $n$  (i.e. 4 if  $n=5$ ).
- 5. print() function is executed again with  $n=4$  and step 2 to 4 is repeated till  $n=1$ .

```
int \text{ main}()ſ
     print(5);
   return 0;
}
      void print(int n)
      €
           printf("%d ", n);
           if(n \leq 1)return 0;
       \rightarrowprint(n-1);
                   void print(int n)
                        printf("%d ", n);
                        if(n \leq 1)return;
                      \rightarrowprint(n-1);
                                            ----3\mathcal{L} = \mathcal{L} \mathcal{L} = \mathcal{L}
```

```
→print(n-1);
                   ---3void print(int n)
       €
           printf("%d", n);if(n \leq 1)return;
          _{\pm}print(n-1);
                 void print(int n)
                  €
                      printf("%d ", n);
                      if(n \leq 1)return;
                     print(n-1);void print(int n)
                             \{printf("%d ", n);
                                 if(n \leq 1)- return;
                                 print(n-1);\mathcal{F}
```
#### **More examples of recursion**

- Factorial Finding
- Fibonacci series counting
- Sum of the array elements
- GCD Finding

## Factorial

 $5! = 5 * 4 * 3 * 2 * 1$ 

 $4! = 4 * 3 * 2 * 1$ 

 $\mathbf{r}$ 

 $\mathbf{r}$ 

$$
N! = N * (N-1) * (N-2) * (N-3) * \dots *1
$$

```
#include <stdio.h>
unsigned long long int factorial (unsigned int i) {
  if(i \leq 1)return 1;return i * factorial(i - 1);
int main() {
  int i = 12;print("Factorial of %d is %d\n", i, factorial(i));return 0;
```
## **Fibonacci Series**

 $F(i) = F(i-1) + F(i-2)$ 

 $0, 1, 1, 2, 3, 5, 8, 13, 21...$ 

```
#include <stdio.h>
int fibonacci(int i)if(i == 0) {
      return 0;\mathcal{F}if(i == 1) {
      return 1;
   \mathcal{F}return fibonacci(i-1) + fibonacci(i-2);
int main() {
   int i;for (i = 0; i < 10; i++) {
      printf("%d\t\n", fibonacci(i));
   \mathcal{F}return 0;
```
#### **Introduction to Queue**

Queue is an important data structure that follows "first in first out" fashion. That is the item that goes in first is the item that comes out first too.

#### **Queue Specifications**

A queue is an object or more specifically an abstract data structure(ADT) that allows the following operations:

- Enqueue: Add an element to the end of the queue
- Dequeue: Remove an element from the front of the queue
- IsEmpty: Check if the queue is empty
- IsFull: Check if the queue is full
- Peek: Get the value of the front of the queue without removing it

#### **How Queue Works**

Queue operations work as follows:

- 1. Two pointers called  $F_{\text{RONT}}$  and  $F_{\text{EAR}}$  are used to keep track of the first and last elements in the queue.
- 2. When initializing the queue, we set the value of  $F_{\text{RONT}}$  and  $F_{\text{EAR}}$  to -1.
- 3. On enqueuing an element, we increase the value of  $_{\text{REAR}}$  index and place the new element in the position pointed to by REAR.
- 4. On dequeuing an element, we return the value pointed to by  $F_{\text{RONT}}$  and increase the  $F_{\text{RONT}}$  index.
- 5. Before enqueuing, we check if the queue is already full.
- 6. Before dequeuing, we check if the queue is already empty.
- 7. When engueuing the first element, we set the value of  $F_{\text{RONT}}$  to 0.
- 8. When dequeuing the last element, we reset the values of FRONT and REAR to -1.





```
int main() \{//deQueue is not possible on empty queue
 deQueue();
  //enQueue 5 elements
 enQueue(1);enQueue(2);enQueue(3);enQueue(4);enQueue(5);//6th element can't be added to queue because queue is full
  enQueue(6);display();
  //deQueue removes element entered first i.e. 1
  deQueue();
  //Now we have just 4 elements
 display();
 return 0;
\mathcal{F}
```

```
void enQueue(int value) {
  if (rear == SIZE - 1)printf("\nQueue is Full!!");
  else fif (fromt == -1)front = 0:
    rear++:
    items[rear] = value;printf("\nInserted -> %d", value);
void deQueue() \{if (front == -1)
    printf("\nQueue is Empty!!");
  else <sub>f</sub>printf("\nDeleted: %d", items[front]);
   front++:
    if (from t > rear)front = rear = -1;
  \mathcal{F}
```

```
// Function to print the queue
void display() {
  if (rear == -1)
   printf("\nQueue is Empty!!!");
  else fint i;printf("\nQueue elements are:\n");
   for (i = front; i \leq rear; i++)printf("%d", items[i]);print(f("\n');
```
#### **Intro to Stack**

Stack is a data structure that follows "first in last out" fashion.

A stack is an object or more specifically an abstract data structure(ADT) that allows the following operations:

- $\bullet$  Push: Add an element to the top of a stack
- $_{\rm Pop}$ : Remove an element from the top of a stack
- $I$   $s$  Empty: Check if the stack is empty
- $I<sub>IFull</sub>: Check if the stack is full.$
- $\bullet$  Peek: Get the value of the top element without removing it

#### **How a Stack Works**

The operations work as follows:

- 1. A pointer called  $_{\text{TOP}}$  is used to keep track of the top element in the stack.
- 2. When initializing the stack, we set its value to -1 so that we can check if the stack is empty by comparing  $_{TOP}$  == -1.
- 3. On pushing an element, we increase the value of  $_{TOP}$  and place the new element in the position pointed to by TOP.
- 4. On popping an element, we return the element pointed to by  $_{\text{TOP}}$  and reduce its value.
- 5. Before pushing, we check if the stack is already full
- 6. Before popping, we check if the stack is already empty



```
int \text{main}()// push items on to the stack
   push(3);push(5);push(9);
   push(1);push(12);push(15);printf("Element at top of the stack: %d\n", peek());
   printf("Elements: \n");
   // print stack data
   while(!isempty()) {
      int data = pop();
      printf("%d\n",data);
   \mathcal{F}printf("Stack full: %s\n", isfull()?"true":"false");
   printf("Stack empty: %s\n", isempty()?"true":"false");
   return 0;
```

```
#include <stdio.h>
int MAXSIZE = 8:
int stack[8];
int top = -1;
int isempty() \{if(top == -1)return 1;
   else
      return 0;int isfull() {
   if(top == MAXSIZE)return 1;
   else
      return \theta;
int peek() \{return stack[top];
```

```
int pop() \{int data;
   if (!isempty()) {data = stack[top];top = top - 1;return data;
   \} else {
      printf("Could not retrieve data, Stack is empty.\n");
int push(int data) {
  if(!isfull()) {
     top = top + 1;stack[top] = data;\} else {
      print(f("Could not insert data, Stack is full.\n",");
```